Annual Accounts 2006/2007

Birmingham Ci Co ncil

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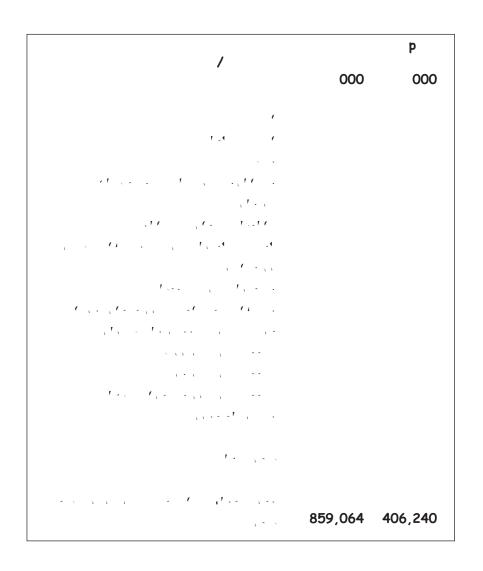
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(3,910)	862
(29,545)	(28,683)

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	(950,848)	(804,481)

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N A /()	(529,240)	:	179,198		(320,909)		4,068	:	183,085	

A	2002	2002/03		2003/04		04/05	2005/06		2006/07	
A &	000	%	000	%	000	%	000	%	000	%
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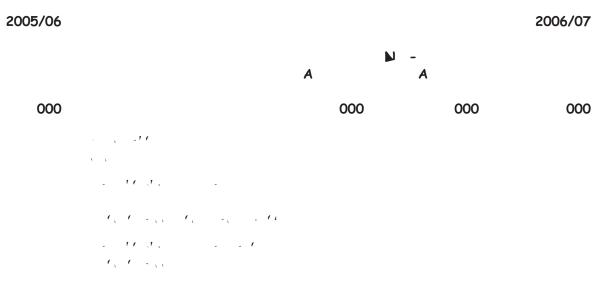
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	268,916	91,919	176,997
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	1,131,770	1,302,302	
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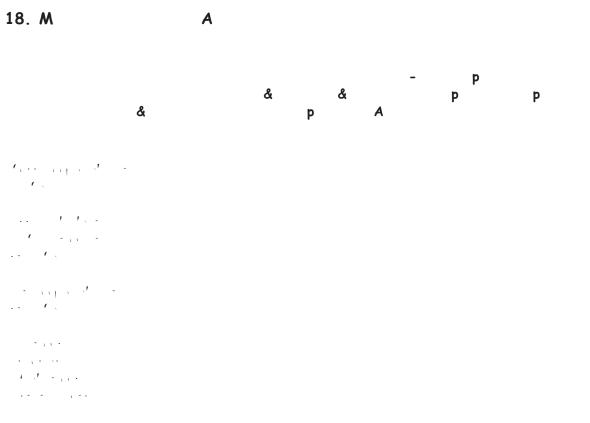
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	50,819	626,973	677,792
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$\cdot \qquad \ldots \qquad \cdot \qquad $			
() p 2007-08	1,277	9,904	11,181

17. p p

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р р А	489.2	294.6			
рр	550.1	406.2		550.1	406.2



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143.5		1.7	145.2
181.3		7.2	188.5

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000 000 000 $(f_{1}, f_{1}, f_{2}, \dots, f_{n-1}, f_{n-1}) = (f_{1}, f_{2}, \dots, f_{n-1})$ & -((, I (I ... 1.1 (- ... (1) ... (1... · · · · · · · · · · · · · -H H -.111 11.-

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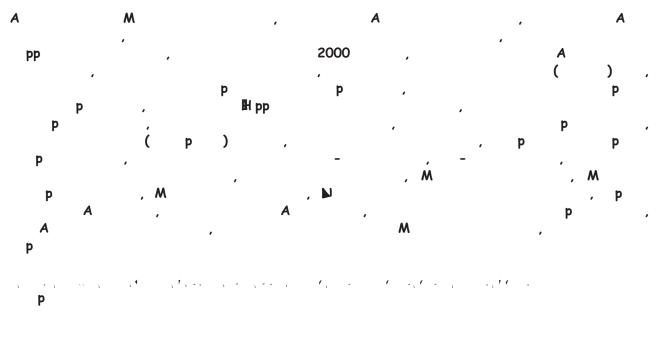
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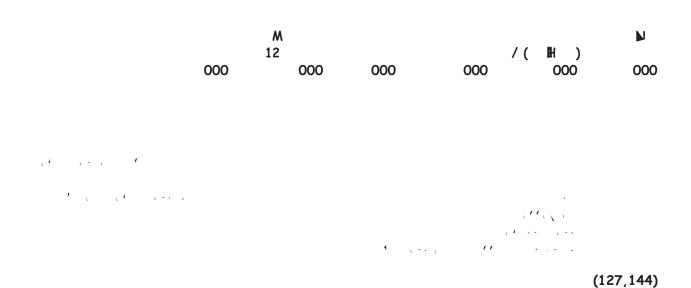
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		(168.7)	(99.2)

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1,385,980	127,144	1,513,124

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(228,973)			(222,356)
	P $f_{1} = f_{1} = $		
188,944	р		185,819
(40,029)	N HA A p A		(36,537)

A 2005/06 000 A 2006/07 000

2005/06 000		N	2006/07 000 000
328,369			339,057
644,510			668,169
322,260	P		331,737
320,983			332,266
592	(p)/		(675)
643,835			663,328
(675)	(p)/		(4,841)

p p A

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1,299,516	P (************************************		851,831

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р р А	17,623	144,617
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()	(922,490)	(276,994)
Μ	(922,490)	(276,994)

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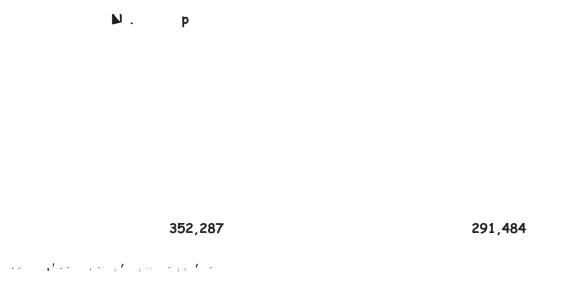
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If o ha e an commens on hese accons or o ld like an f r her information, please con ac:

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